

## Lab 4. Magnetic Measurements and Faraday's Law

Name: \_\_\_\_\_ Date: \_\_\_\_\_

### 1 Introduction

Faraday's law states that a voltage  $e(t)$  is induced at the terminals of a coil that "sees" a time-varying magnetic flux  $\Phi(t)$

$$e(t) = -\frac{d\Phi(t)}{dt} \quad (1)$$

For an  $N$  turn coil, each turn having an area  $A$ , the magnetic flux is  $\Phi(t) = B(t)NA$ , where  $B$  is the magnetic flux density. If the coil voltage  $e(t)$  is electronically integrated through an integrator as shown in Figure 2, then

$$V_{out}(t) = -\frac{1}{RC} \int_0^t e(t') dt' \quad (2)$$

where  $RC$  is the time constant of the integrator. Combining (1) and (2), we obtain

$$V_{out}(t) = -\frac{1}{RC} NA[B(t) - B(0)] \quad (3)$$

If  $B(0)=0$ , then

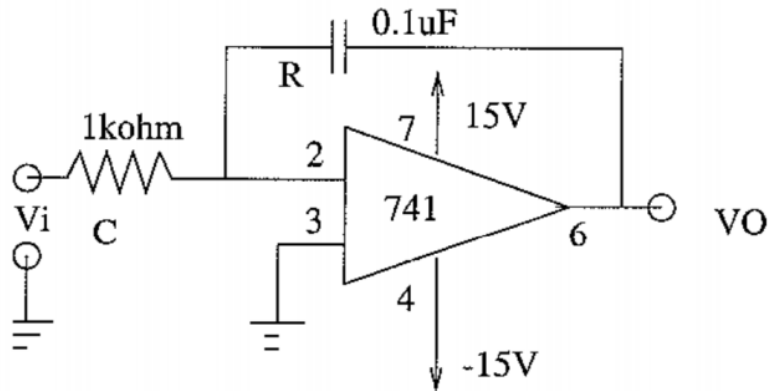
$$B(t) = -\frac{RCV_{out}(t)}{NA} \quad (4)$$

In this demonstration you will insert a coil into the static magnetic field of a solenoid (or turn on the magnetic field with the coil in place) and use (4) to determine the magnetic induction  $B(t)$  along the solenoid axis. You will compare to measurements made using a Bell Gaussmeter.

### 2 Procedure

1. Connect the coil to the Tektronix 7854 storage oscilloscope. The observing procedures are:
  - Triggering Setting: A trigger mode = auto, coupling=AC, source = line. Horizontal display: Time base A at 50ms/div, vertical display: 10mV/div.
  - Push the *stored* button.
  - Push the *agr* button and swing the coil fast through the magnet right after the push. Observe the waveform on the oscilloscope.

Figure 1:



- Repeat the above step until you can get the same waveform everytime.
- Record the waveform here. Mark the vertical and horizontal scales.

2. Calculate the estimated average voltage by

$$V = -2 * \frac{d\Phi(t)}{dt} = -2 * \frac{\Delta\Phi}{\Delta t} = -\frac{2BNA}{\Delta t}$$

The radius of the coil is \_\_\_\_\_

B at the gap measured by the Gauss Meter is \_\_\_\_\_ T

number of turns of the coil is \_\_\_\_\_

$\Delta t$  read from the waveform is \_\_\_\_\_

The calculated V from measured B is \_\_\_\_\_ T